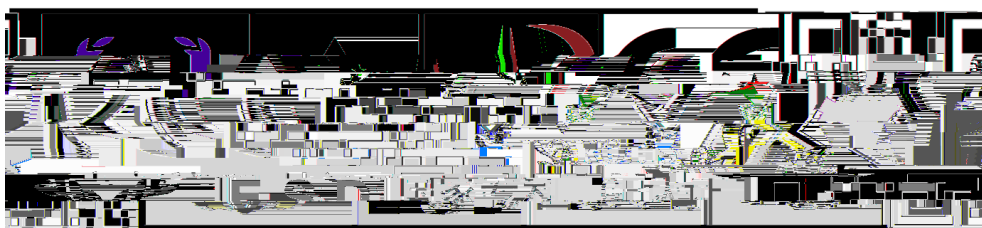


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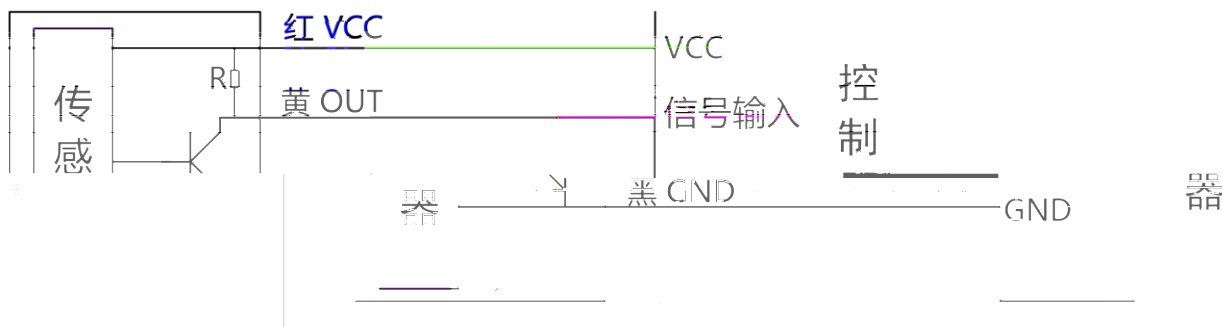




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1.NPN , i 4 5 n v p ~ Y g

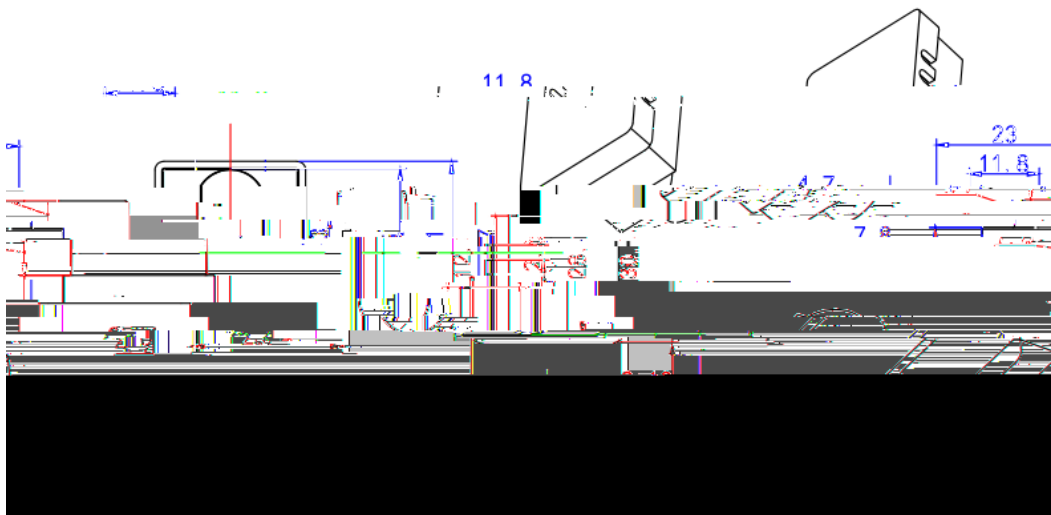
XKC-001A-T-NPN(开关量型)原理及接线方法



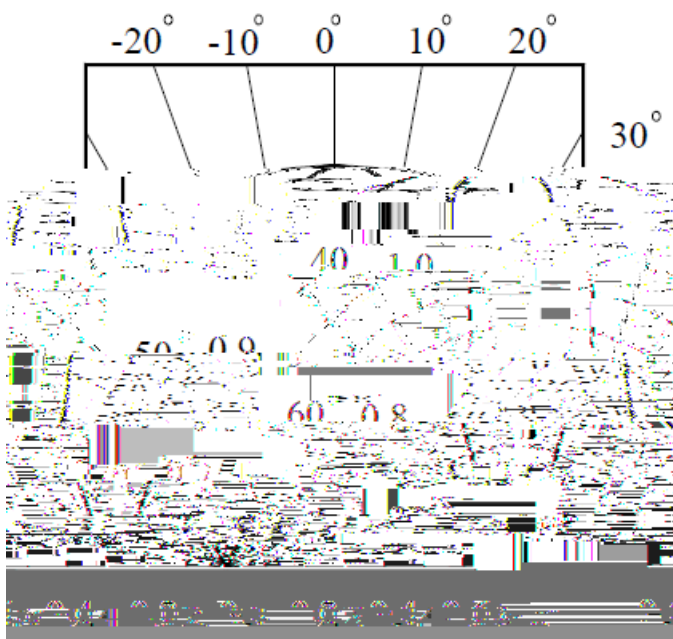


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$$\vdash \neg(A \rightarrow B) \rightarrow A$$

1. $\forall i \in \omega$, $\tau_P(\check{A}_x \dot{\cup} \check{W}_{\check{n}}) = \tau_{P \oplus \theta}(\check{A}_x \dot{\cup} \check{W}_{\check{y}})$. $G \restriction H_\alpha \models d \check{A}_x$
 $\wedge t \dot{\cup} \check{h} \vdash i \in E y \subseteq \tau_P \psi$, $\tilde{e} \varphi \mid \check{i}$.

2. $\forall y \in \mathbb{N} \exists x \in \mathbb{N} (x \neq y \wedge x \mid y) \vee (y = 1 \wedge \neg \exists x \in \mathbb{N} (x \neq y \wedge x \mid y))$

3. $\bar{G} \cap H \subseteq \langle p^{-1}n \rangle \cup \langle \bar{y}^{-1}n' \rangle \cup \langle yz^{-1}y, h \rangle \cup \langle \bar{y}^{-1}n' \rangle$, d



